

1. B
2. C
3. C
4. C
5. A
6. D
7. D
8. C
9. E
10. B
11. C
12. D
13. D
14. D
15. D
16. B
17. C
18. B
19. E
20. A
21. C
22. C
23. C
24. C
25. E
26. B
27. A
28. B
29. A
30. C

1. B  $\frac{1}{2}mv^2 = mgh$ ,  $h = \frac{1}{2}gt^2$ , solve for t.
2. C  $C = \kappa \epsilon_0 \frac{A}{d}$ .  $2A/2d = 1$ .
3. C The greatest product of  $x \cdot y$  will be its final position. It will still be rolling when it reaches that position because there is no friction on the last segment. The rotational kinetic energy will be  $\frac{1}{3}$  of its total energy since the rotational inertia of a uniform disk is  $\frac{1}{2}mR^2$  so it will only reach a final height of  $\frac{2}{3}$ . At this height  $x$  is  $\frac{11}{3}$  and  $x \cdot y$  is  $\frac{22}{9}$ .
4. C  $Q/V$  is capacitance which is farads.
5. A  $r = 1.5R_e$  so  $a_g = 10/1.5^2$
6. D  $40/9 \cdot 4 = 160/9$ , then the mass inside is only  $(.75)^3$  as much so  $160/9 \cdot 27/64 = 7.5$
7. D  $4/3 \cdot \pi \cdot r^3 \cdot \rho \cdot k/r^2 \propto r$
8. C inner + inner of outer = 0 and inner of outer plus outer of outer = outer
9. E work =  $q \cdot$  the integral of  $E(x)dx$  from 0 to 2.
10. B  $\frac{1}{2}r$  means  $\frac{1}{4}$  Inertia and  $4x$  omega.  $4x$  omega means  $\frac{1}{4}$  time.
11. C each  $V = kq/r$ , and each vertex is  $s/(\sqrt{3})$  from the centroid,  $6x \cdot k \cdot \sqrt{3}/s$
12. D the sphere would contain all the charges so by gauss' law flux =  $Q_{in}/\epsilon_0$
13. D it would be the difference of the potential on the two sphere's which would be  $Q_1/r_1 - Q_2/r_2$  where  $Q$  is  $\sigma \cdot$  surface area
14. D  $C = Q/V$  so  $Q = CV$
15. D  $150/(100+50) = 1$ ,  $1 \cdot 100 - 5(1)^2 = 95$
16. B integral simplifies to  $kQ/r$  where  $r$  is the distance from a point on the ring to  $(x, 0)$
17. C  $V_c(t) = EMF(1 - e^{-(t/RC)})$ . EMF is 9, R is 1, C is 1. Take the derivative at 2.
18. B max force on top is 40 so net max is 80 but friction on bottom is 80,
19. E  $(m/2)v^2 = mgL \sin 45 + 1 \cdot mgL \cos 45$   $L = 45/(\sqrt{2})$
20. A  $\tau = RC$ ,  $C = (1/1 + 1/2 + 1/3)^{-1} = 6/11$ ,  $R = 2 + 3 = 5$ ,  $RC = 30/11$
21. C  $9V = ir + iR$ ,  $iR = 6$ , so  $ir = 3$ ,  $3V = 1Ar$ ,  $r = 3$  ohms
22. C  $F = qvB$ ,  $B = \mu_0 \cdot I / (2 \cdot \pi \cdot r)$
23. C  $g = 10 = GM_e/r_e^2$ ,  $\frac{2}{5}r \rightarrow 8/125$  the volume and  $16/125$  the mass.  
 $10 \cdot (16/125) / (4/25) = 8$ .
24. C  $v_a r_a = v_p r_p$  so  $29.25x = 13(2a - x)$  &  $a = 42.25$  now use vis viva  $v = \sqrt{GM(2/r - 1/a)}$
25. E A & B add to  $3C_A$ , to add that in series with  $C_C$  get  $C_{eq} = (1/(3C_A) + 1/(3C_A))^{-1} = 3C_A/2$ .
26. B  $B = \mu_0 I / 2\pi r$  and  $I$  is  $I_{tot} \cdot$  the portion of the area inside the loop =  $r^2/R^2$
27. A mag of emf =  $d\Phi/dt = d(A \cdot B \cos \theta)/dt$ ,  $\theta$  is the angle with the moment of the plane so it will be 0 and we have  $d\Phi/dt = B \cdot 1 \cdot d(\pi R^2)/dt$
28. B torque =  $B(t) \cdot I(t) \cdot A(t) \cdot \sin \theta$ . Take the derivative at 2.  $\sin \theta$  is always 1.
29. A rate of work is  $P = F \cdot V$ .  $F = GmM/(5r)^2$  &  $.5mV^2 = GMm/(5r)$   
 $P = (2GM/(5r))^{1/2} \cdot GmM/(25r^2) = (2G^3 M^3 m^2 / 3125r^5)^{1/2}$
30. C  $F_{net}/M = a = dv/dt = Mg - bV/M$  then solve the separable differential equation.