The abbreviation NOTA found in choice E for each question means "None of the Above [Answers]" and should be chosen if answers A, B, C and D are not correct.

Diagrams are not drawn to scale. If a diagram does seem to be to scale, then it is a happy accident.

Angle measures are in degrees.

If no units are given, assume linear measures are cm, area is in square cm, and volume is in cubic cm.



Right  $\Delta RST$  has hypotenuse TR =13 and leg SR=5. Find the area of  $\Delta RST$ .

A. 60	B. 32.5
C. 30	D. 15
E. NOTA	

2. Circle C contains a chord of length 12 cm which is a



distance of 8 cm from center C. Find the circumference of the circle.

> A.  $10\pi$  cm B.  $16\pi$  cm C.  $18\pi$  cm D.  $20\pi$  cm E. NOTA

3. A right regular square pyramid has each lateral triangular face with base 6 cm and height (altitude of the triangle) 5 cm. Find the volume of the pyramid in cubic cm.



5

4. Two similar pyramids each have square bases. If the square bases have areas 144 sq cm and 36 sq cm then what is the ratio of the volumes of the pyramids (larger : smaller)?

5.



**B**. 50π

D. 50

cut here A right circular cylinder has height 10 and radius 5. If the lateral surface region is cut parallel to the axis of symmetry (the line containing the base centers), and laid flat, what is the area of the resultant rectangle?

Α.	$100\pi$	
C.	100	
E.	NOTA	



- 12. The base of a triangle is increased by 20%, and the altitude to that base is decreased by 20%. What is the effect on the area of the triangle?
  - A. Decreased by 4.8%
  - B. Increased by 4.8%
  - C. Decreased by 4%
  - D. Increased by 4%
  - E. NOTA
- 13. A square RSTU has perimeter 40 cm. A rhombus PQMN has the same perimeter but area 4 square cm less than the square. What is the positive difference in the heights of the two quadrilaterals?

A. 0.4	B. 0.2
C. 0.5	D. 0.02
E. NOTA	



A trapezoid has one base of length 12 and height of length 12. The legs have lengths 13 and 15. Find the perimeter of the trapezoid.

A. 72	B. 70
C. 68	D. 66
E. NOTA	



Circle T and circle U intersect and the common chord  $\overline{RS}$  has length 18. Find the area of  $\Delta TRU$ .

Radius TR=15. Segment TU= $\sqrt{181}$ 

Α.	102	B. 99
C.	98	D. 96
Ε.	NOTA	

16.



 $\Delta PQR$  is inscribed in a circle. Chord  $\overline{QR}$  has length 10.  $m\widehat{PQ} = 120^{\circ}$  and  $m\widehat{QR} = 60^{\circ}$ . Find the area of the circle.

A. 200π	B. 140π
C. 120π	D. 100π
E. NOTA	

17. An isosceles triangle has perimeter10 and each side of <u>even</u> integerlength. Find the triangle's area.

A. 
$$\sqrt{11}$$
B.  $\sqrt{13}$ 

C.  $\sqrt{15}$ 
D.  $\sqrt{17}$ 

E. NOTA

18. A sphere has surface area  $36\pi$  square cm. Find its volume in cubic cm.

A. 
$$\frac{27}{8}\pi$$
 B.  $\frac{9}{2}\pi$ 

- C. 18π D. 36π
- E. NOTA
- 19. A cube has each side length 10 cm. ONE vertex/corner is truncated (chopped off) so



that three edges each become 8 cm in length and the truncated corner becomes an equilateral triangle face. That's a total of 7 faces now. The surface area of the new solid is  $a + b\sqrt{c}$  square cm, for *c* a prime number, and a > b > 0. Find the value of a + b + c.

A. 599	B. 602
C. 603	D. 606
E. NOTA	

20. Find the area of a regular hexagon with each side length 8.

A. 124√3	<b>B</b> . 112√3
C. 108√3	D. 96√3
E. NOTA	

21. Twelve points are equally spaced along the circle's circumference as



shown. Shown are six chords of the circle. The circle has radius 6. The total area of the 3 shaded regions (there are 4 nonshaded regions) is  $a\pi + b\sqrt{c}$  for *c* a prime, and a > b, a > 0. Find the value of a + b + c.

A. 18	B. 27
C. 36	D. 45
E. NOTA	

22.  $6\sqrt{3}$   $G \bullet$  22

Gary the Goat (G) is in a rectangular pen with dimensions 22 feet by  $6\sqrt{3}$ feet. He has a 12 foot long leash with one end attached to his collar and the other end attached to a corner of the floor as shown. Disregard the dimensions of Gary, and assume the leash stays in the plane which contains the floor. Find the area in square feet of the floor inside of the pen that Gary can roam, with the limitations of the leash.

- A.  $24\pi + 18\sqrt{3}$
- B.  $24\pi + 12\sqrt{3}$
- C.  $132\sqrt{3}$
- D.  $18\pi + 20\sqrt{3}$
- E. NOTA



In the poorly drawn diagram above, there are four equilateral triangles:  $\Delta PYZ$ ,  $\Delta TLN$ ,  $\Delta XZN$  and  $\Delta PQT$ . The area of  $\Delta PYZ$  is 40. The area of  $\Delta TLN$  is 10.  $\overline{PQ} \perp \overline{ZN}$ , for Q on  $\overline{ZN}$ . Find the area of  $\Delta PQT$  whose vertices are each on a side of  $\Delta XZN$ .

A. 30	B. 27
C. 25	D. 20
E. NOTA	

24.



Two concentric circles are shown. Chord  $\overline{PQ}$  of the larger circle is tangent to the smaller circle. If PQ = 10 then give the area of the shaded region, which is inside of the larger circle but outside of the smaller circle. Find the area of the annulus!

Α. 10π	<b>Β</b> . 25π
C. 50π	D. 100π
E. NOTA	



Square QRST has vertices R and S on a circle. P is the midpoint of side  $\overline{QT}$  and the circle is tangent to the square at P as shown. Diameter  $\overline{PN}$  contains U, which is on  $\overline{RS}$ . If UN = 10 then find the area of the square QRST.

A. 1600	B. 900
C. 400	D. 200
E. NOTA	

26. C is the center of a larger circle which is tangent to a smaller circle at R as shown. Diameter  $\overline{RO}$  of the larger circle contains diameter  $\overline{RP}$  of the smaller circle. Diameter  $\overline{SV}$  of the larger circle contains chord  $\overline{TU}$  of the smaller circle. PQ = 8. ST = UV = 6. Find the area outside of the small circle which is inside of the larger circle (the area between the two circles). A. 60π B. 58π C. 56π D. 54π E. NOTA

27. A circle has area  $9k\pi$  square cm, and circumference  $6k\pi$  cm, for *k* a positive constant. What is the radius of the circle in cm?

A. 9	B. 3
C. 2	D. 1
E. NOTA	



Rectangle RSTU has vertex S on the circle shown.  $\overline{RU}$  is on the y-axis and has length 6.  $\overline{UT}$ is on the x-axis and has length 8. The area in **Quadrant I** which is inside of the circle, and outside of the rectangle is  $a\pi - b$ , for a, bpositive integers. Find the value of a + b.

A. 14	48	В.	82
С.	73	D.	49
E. NO	DTA		

 $\begin{array}{c} 29. \\ 8 \\ 10 \\ P \end{array} \\ \hline 6 \\ R \\ 8 \end{array}$ 

Right  $\triangle PRT$  has side lengths 6, 8, 10 as shown. P, R, and S are collinear. RS = 8. Give the area of  $\triangle TRS$ .

S

A. 64	B. 56
C. 40	D. 32
E. NOTA	



Four squares are shown. Each has exactly one vertex on the circle, and two adjacent sides on intersecting chords  $\overline{RS}$  and  $\overline{UT}$ . Three squares have areas as labeled: 64, 100, and 400. Areas do not overlap.

Find the side length of the top left square which has vertex R and which contains point U.

A. 3	36	Β.	25
<b>C</b> . 1	16	D.	10
E.	NOTA		