



1. B
2. A
3. D
4. B
5. A

6. B
7. E
8. A
9. B
10. B

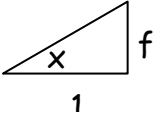
11. C
12. A
13. C
14. B
15. D

16. D
17. D
18. E
19. C
20. D

21. B
22. C
23. A
24. B
25. D

26. B
27. B
28. C
29. D
30. D



1. **B.** $2x - 1 = 2, x = 3/2$
2. **A.** Since g and f are inverses, $g(3)=5$ and so $g(3)+g(f(2))= 5+2= 7$.
3. **D.** Since $|x|=-x$ for $x<0$, $A=|-x-3|$. But now $-x-3$ is positive for $x<-3$ so $A= -x-3$.
4. **B.** $(x-4)(x+1)<0$ for $(-1, 4)$ which includes integers 0, 1, 2, 3. Four values.
5. **A.** $f(2)=0, 8-40+2A+B=0, 2A+B= 32$. Since $A+B=9, A=23$ and $B=-14. f(1)= 1-10+23-14 = 0$.
6. **B.** $g(2x) = 2(2x)^{\frac{2}{3}} = 2^{\frac{11}{3}}$; so $2^{\frac{5}{3}}x^{\frac{2}{3}} = 2^{\frac{11}{3}}$ and $x^{\frac{2}{3}} = 2^{\frac{6}{3}}, 2^{\frac{6}{3} \cdot \frac{3}{2}}$. $x=8$.
7. **E.** Since $\text{Arccot}x$ is defined only over $[0, \pi]$, $x = \frac{5\pi}{6}$.
8. **A.** The function is equal to 1 where it is defined.
9. **B.** $f(x)=f(-x)$ and $g(-x)= -g(x)$ by the definitions of even and odd functions. $f(g(1))=f(3)=8. g(-1)= -g(1)= -3. f(-2)=f(2)=3$. The sum is 8.
10. **B.** The equation completes to $4(y - 2) = (x - 1)^2$, so the vertex is $(1, 2)$ and the focus is $(1, 3)$ and the directrix is $y=1$. So $b=3$.
11. **C.** This graph is a semicircle of radius 3. Area is $1/2$ times $9\pi = 9\pi/2$.
12. **A.** Since the slope is $1/2$, the angle of inclination is the $\text{Arctan}(0.5)$.
13. **C.** The sum of the roots is $-B/A$ so the sum is 10. One root is 2; the others add to 8.
14. **B.** The hypotenuse is $\sqrt{1+f^2}$ so the value for sine is f divided by this. 
15. **D.** All roots are complex.
16. **D.** f is the sum $\sin(x + \pi/2 - x)$ which equals 1.
17. **D.** $\frac{1}{4} = \frac{\sin x}{1 - 1/4}$, so $\sin x = 3/16$.
18. **D.** $\frac{4911 + x}{1274 + 4911 + x} = 0.8$ solves to 185 more games.
19. **C.** This value occurs in every quadrant, due to the absolute value of sine. Starting in QII for the first term, QIII for the second, QIV for the third, $a_3 = \frac{5\pi}{3}$
20. **D.** Use the Pythagorean Th: I, III, IV.
21. **B.** $2 + 2 \log 3 = \log 100 + \log 9 = \log 900. 900 = (x(x + 1)(x + 3))^2, 300 = x(x + 1)(x + 3)$ and since $300 = 2(3)(5), x = 2. 1$
22. **C.** The max occurs at $(\pi/2, 1)$ so the center of the circle is $(\pi/2, 1/2)$ and the radius is $1/2$, so $c = 1/4$.
 $\frac{\pi}{2} \cdot \frac{1}{2} \cdot \frac{1}{4} = \frac{\pi}{16}$.



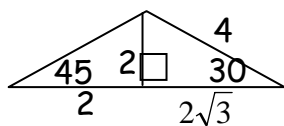
23. **A.** $V = \frac{4}{3}\pi r^3, r = \sqrt[3]{\frac{3V}{4\pi}}$

24. **B.** The probability that it will rain on both days is 0.3 times 0.8 (from 4/5) which is 0.24. One subtract this gives probability 0.76 which is 19/25 which gives odds 19:25.

25. **D.** $P = \frac{\text{blue}}{\text{total}} = \frac{x - (x - 2)}{x} = \frac{2}{x}$. Set this equal to 2/100 and we get x=100.

26. **B.** $f = \frac{1}{x(x-1)}$. Let $x = \frac{1 - i\sqrt{3}}{2}, x - 1 = \frac{-1 - i\sqrt{3}}{2}$. The product is -1 and its reciprocal is also -1.

27. **B**



Area is 1/2 times bh, or $\frac{1}{2}(2)(2 + 2\sqrt{3})$ or choice B.

28. **C.** The G.M. gives $\sqrt{(RS)(ST)} = \frac{1}{4}(12)$ so RS times ST equals 144. The area (A) is $\frac{1}{2}(RS)(ST) \sin S$ and we set this equal to 48. This solves to $\sin S = k = 2/3$.

29. **D.** The first sequence is 6, 6r, 6r² and 6r² - 6r = 18 - 6r² which solves to r = -1 or r = 3/2. Since all terms are positive, we have r = 3/2. So the terms are 6, 9, 27/2, and 18. The product of the middle two is 121.5.

30. **D.** $2x^2 + 2x + 1 = 265; 2x^2 + 2x - 264 = 0$ and $x^2 + x - 132 = 0$ so $(x-11)(x+12) = 0$
so x=11. And 5(11)-5=50.