

$$\text{Let } A = \lim_{x \rightarrow 1} \frac{|x| - x}{x - 1}$$

$$\text{Let } B = \lim_{x \rightarrow 0} \frac{\cos x - 1}{x}$$

$$\text{Let } C = \lim_{x \rightarrow 3} \frac{(1/x) - (1/3)}{x - 3}$$

Find the value of $A + B + C$.

If $f(3) = 5$, $f'(3) = 1.1$, $g(3) = -4$ and $g'(3) = 0.7$, then let $A = (f \cdot g)'(3)$

If $f(-2) = 1$, $f'(-2) = -5$, $g(-2) = 0$ and $g'(-2) = 5$, then let $B = (g/f)'(-2)$

Find the value of $A + B$.

Let A = the x -coordinate of the absolute minimum of $f(x)$ if $f(x) = x^3 - x^2 - x + 1$ on $[-2, 2]$.

Let B = the x -coordinate(s) of the relative extrema of $f'''(x)$ if $f(x) = \frac{1}{5}x^5 - \frac{1}{24}x^4$.

Find the value of $A + B$.

Let R = the region bounded by $y = \sin x$, $x = 0$, $x = \pi$, and $y = 0$.

A = the volume of the solid found by revolving the region R about the x -axis.

B = the volume of the solid by revolving the region R about the y -axis.

Find the value of $A + B$.

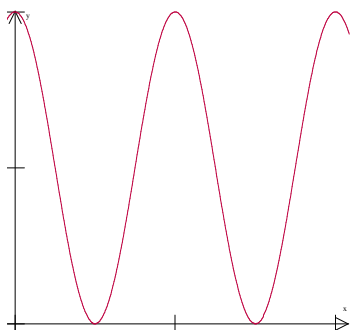
Using the graph of $f(x)$ below, list the following quantities from smallest to largest using the letters as designated. The graph is periodic with a period of 1 and the maximum value is at $(1, 1)$.

$$A = \int_0^2 f(x) dx$$

$$B = \int_0^2 \sqrt{f(x)} dx$$

$$C = \int_0^2 f^2(x) dx$$

$$D = \int_0^2 f'(x) dx$$



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The position of a particle moving along a horizontal line at any time t is given by $s(t) = 3t^2 - 2t - 8$.

Let A = the value(s) of t for which the particle is NOT moving.

The position of a particle moving along a horizontal line at any time t is given by $s(t) = (2t - 3)^3$.

Let B = the number of times that the particle changes direction.

Find the value of $A + B$.

Start with $S = 0$ and for each series below, add 3 to S if the series converges and subtract 5 from S if the series diverges. Using this rule, what is the value of S ?

$$\sum_{n=1}^{\infty} \frac{5^n}{3n^2 + 1}$$

$$\sum_{n=1}^{\infty} \frac{1}{n(\ln n)^2}$$

$$\sum_{n=1}^{\infty} \frac{\sin n}{3^n}$$

$$\sum_{n=1}^{\infty} \frac{n \cdot 3^n}{n!}$$

A balloon rises straight up at 10 ft/sec. An observer is 40 ft. away from the spot where the balloon left the ground. Let A = the rate of change (in radians/sec) of the balloon's angle of elevation when the balloon is 30 ft. off the ground.

A point moves along the curve $y = x^2 + 1$ such that its x -coordinate is increasing at the rate of 1.5 units/sec. Let B = the rate (in units/sec) at which the point's distance from the origin is changing when the point is at (1, 2).

Find the value of $A + B$. (ignore all units when summing)

$$\text{Let } A = \lim_{x \rightarrow \infty} (e^{-x} \sqrt{x})$$

$$\text{Let } B = \lim_{x \rightarrow \infty} (x-1)^{\frac{1}{x}}$$

Find the value of $A + B$.

$$\text{If } f(x) = \frac{e^x - e^{\frac{x}{2}}}{2}, \text{ then let } A = f''(0).$$

$$\text{If } x = t^3 - 1 \text{ and } y = t^2, \text{ then let } B = \frac{d^2 y}{dx^2} \text{ at } t = 1.$$

Find the value of $A + B$.

Let A = the approximation of $\int_0^6 (x^2 - 2x + 2) dx$ using a lower Riemann sum with 3 inscribed rectangles of equal width on the x -axis.

Let B = the approximation of $\int_0^4 (x^2 - 6x + 9) dx$ using 4 inscribed rectangles of equal width on the x -axis.

Find the value of $A + B$.

A curve is given parametrically by the equations $x = 3 - 4\sin t$ and $y = 4 + 3\cos t$ for $0 \leq t \leq 2\pi$.

Let A = all x -coordinates at which the curve has a vertical tangent.

Let B = all x -coordinates on the curve $x^2 - y^2 + x = 2$ where the tangent line is vertical.

Find the value of $A + B$.

If f is a continuous function on the interval $[a, b]$, which of the following statement(s) is/are **NOT** necessarily true?

- I. f has a minimum on $[a, b]$
- II. f has a maximum on $[a, b]$
- III. $f'(c) = 0$ for some number c , $a < c < b$

The Taylor Series of a function about $x = 3$ is given by

$$f(x) = 1 + \frac{3(x-3)}{1!} + \frac{5(x-3)^2}{2!} + \frac{7(x-3)^3}{3!} + \dots + \frac{(2n+1)(x-3)^n}{n!} + \dots$$

Let A = the value of $f'''(3)$, the 3rd derivative of f at $x = 3$.

The Maclaurin Series for a function is given by $\sum_{n=0}^{\infty} \frac{x^n}{2n}$.

Let B = the value of $f^{(4)}(0)$, the 4th derivative of f at $x = 0$.

Find the value of $A + B$.