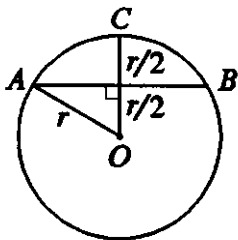


The following were changed at the resolution center at the convention: 14 D, 21 D, 24 A

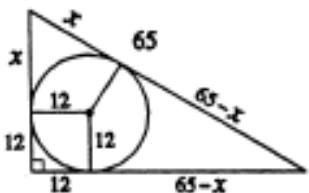
1. D: 2^{3^2} exponents are right associative. $2^9 = 512$
2. C: The distance of $3-4i$ to the origin is 5.
3. B Change of base rule: $\frac{\log_3 9^{\frac{1}{3}}}{\log_3 3^{\frac{1}{2}}} = \frac{\log_3 3^{\frac{2}{3}}}{\log_3 3^{\frac{1}{2}}} = \frac{\frac{2}{3} \log_3 3}{\frac{1}{2} \log_3 3} = \frac{4}{3}$
4. C: $(a+bi)+(a-bi) = 2a$. A: No a could be 0. B: No (no i) D
5. E: use the Harmonic mean $\frac{2}{\frac{1}{40} + \frac{1}{50}} = \frac{400}{9} = 44.4$
6. C 122121 \rightarrow 577 \rightarrow 19
7. A $7^7 = 823543$ cycles 7,9,3,1 $42 \bmod 4 = 2$ 9
 $2^7 = 128$ so $8+9 = 17$ answer **7**
8. D repeated div $625 / 5 = 125$ $125/5 = 25$ $25/5 = 5$ $5/5 = 1$ $125+25+5+1 = 156$
9. A replace x,y and z with 1 $(2+3-3)^{10} = 2^{10} = 1024$
10. B $\sqrt{34-24\sqrt{2}} = a+b\sqrt{2} \rightarrow 34-24\sqrt{2} = a^2+2b^2+2ab\sqrt{2} \rightarrow a^2+2b^2 = 34, ab = -12$ by substitution of $b = -\frac{12}{a}$ leads to $a^4 - 34a^2 + 288 = 0$ $a = \pm 4$ or $a = \pm 3\sqrt{2}$ so
 $a+b\sqrt{2} = 4-3\sqrt{2}$ or $-4+3\sqrt{2}$ we need the positive answer so $-4+3\sqrt{2}$ so $a+b+c=1$
11. C $9886^2 = (9887-1)^2 = 9887^2 - 2*9887 + 1 = 97752769 - 2*9887+1 = 97732996$
sum of the digits is 52
12. A $x = 3.192192\dots$ $1000x = 3192.192\dots$ subtract $999x = 3189$ $x = 3189/999$ reduce $1063/333$ sum 1396
13. A

Draw \overline{AO} , forming a $30^\circ-60^\circ-90^\circ$ right triangle. Since the length of the leg opposite the 60° angle is $3\sqrt{3}$, the length of the radius is 6 and the area of the circle is $\boxed{36\pi}$.

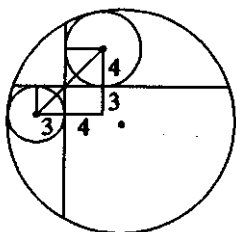


The following were changed at the resolution center at the convention: 14 D, 21 D, 24 A

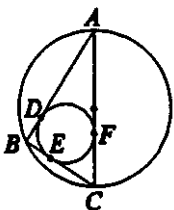
14. C In the diagram, the sides of the square are 12. Let the segments of the hypotenuse be x and $65-x$. Since tangents drawn to a circle from the same outside point are congruent, two segments have length x and two have length $65-x$. The perimeter of the triangle is $24 + 2(65-x) + 2x = 154$



15. C As can be seen in the figure, the distance between the centers is the length of the hypotenuse of an isosceles right triangle with legs 7. $7\sqrt{2}$



16. A Let $CF = x$. Since the diameter of the circle is 20, $AF = 20-x$. Tangents to a circle from the same outside point are congruent, so $AD=AF=20-x$, and $CE=CF=x$. Since the perimeter of triangle ABC is 42, $EB+BD+AD+AF+CF+CE=EB+BD+40=42$ so $EB+BD = 2$



17. B The n th row of Pascal's triangle (start counting at 0) has a sum of 2^n .

18 E Both -2 and -1 must be excluded

$$19. C (1 \otimes 2) \otimes 3 = \left(1 + 2 - 3 \left(\frac{1}{2} \right) \right) \otimes 3 = \frac{3}{2} \otimes 3 = \frac{3}{2} + 3 - 3 \left(\frac{3}{3} \right) = 3$$

20. E: Harmonic Series diverges.

$$21: E \frac{5!}{2}$$

$$22. D f(-1) = 9 + 2 - 4 - 6 - 2 - 1 = -2$$

$$23. A \frac{1}{1 \cdot 2 \cdot 3} + \frac{2}{2 \cdot 3 \cdot 4} + \frac{3}{3 \cdot 4 \cdot 5} + \dots + \frac{98}{98 \cdot 99 \cdot 100} = \frac{1}{2 \cdot 3} + \frac{1}{3 \cdot 4} + \frac{1}{4 \cdot 5} + \dots + \frac{1}{99 \cdot 100}$$

The following were changed at the resolution center at the convention: 14 D, 21 D, 24 A

These terms are from a telescoping series

$$\frac{1}{n(n+1)} = \frac{1}{n} - \frac{1}{n+1} \text{ so series turns into } \frac{1}{2} - \frac{1}{3} + \frac{1}{3} - \frac{1}{4} + \dots + \frac{1}{99} - \frac{1}{99} + \frac{1}{100} = \frac{1}{2} - \frac{1}{100} = \frac{50-1}{100} = \frac{49}{100} \text{ so } a+b=149$$

$$24. \text{ B } \begin{vmatrix} 3 & 2 & 7 \\ k & -1 & k \\ 0 & 1 & -4 \end{vmatrix} = -2k + 4$$

$$3 \cdot 4 + 7k + 0 - (0 + 3k - 8k) = -2k + 4 \rightarrow 12 + 7k + 5k = -2k + 4 \rightarrow 12 + 12k = -2k + 4 \quad k = -4/7$$

$$25. \text{ D } \text{ Center is } (4,3) \text{ radius is } \sqrt{7}$$

$$26. \text{ D. } \ln(?)=0 \rightarrow \log_2(\log_3 x) = 1 \rightarrow \log_3 x = 2 \rightarrow x = 9$$

$$27. \text{ A } \begin{cases} 2x + 7y = 3 \\ -2x + 2y = 6 \end{cases} \rightarrow 9y = 9 \rightarrow y = 1 \rightarrow 2x + 7 = 3 \rightarrow x = -2 \quad x + y = -1$$

$$28. \text{ A } \quad a = 2b/3 \quad b = 5c/7 \text{ so } a = 10c/21 \rightarrow a/c = 10/21$$

$$29. \text{ C } \quad x^2 8! = 9! \rightarrow x^2 = 9 \text{ so } x = +3 -3$$

$$30. \text{ A } \quad f(5) = 2 \quad f(2) = 1 \quad f(1) = 4 \text{ and } f(4) = 0$$